

Linking US registry data with geomarker data: longitudinal associations between environmental factors and lung function decline

European Cystic Fibrosis Conference

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Introduction: Motivation

A lot of information is available
→ Electronic medical records

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Different types of information

- Baseline characteristics: Sex, F508del, SESlow, Enzymes
- Biomarkers: FEV₁ % pred
- Nutritional status: BMI percentile
- Geomarkers (environmental/community factors): Deprivation index



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How can we appropriately connect registry data with geospatial data

Deprivation index (https://geomarker.io/dep_index/)

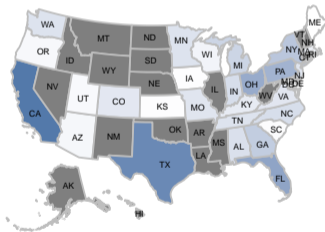
- Socioeconomic variables from the American Community Survey (ACS): capture “community deprivation”
 - ◇ Principal components analysis of six different 2015 ACS measures
 - ◇ “Deprivation Index”: the first component explains over 60% of the total variance
 - ◇ Rescaling and normalizing forces the index to range from 0 to 1, with a higher index being more deprived



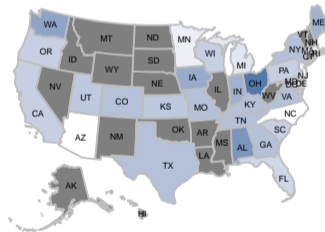
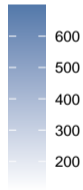
Cole Brokamp, Andrew F. Beck, Neera K. Goyal, Patrick Ryan, James M. Greenberg, Eric S. Hall. Material Community Deprivation and Hospital Utilization During the First Year of Life: An Urban Population-Based Cohort Study. *Annals of Epidemiology*. 30. 37-43. 2019

Introduction: Descriptive statistics

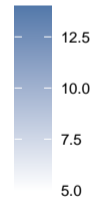
Baseline information



of patients

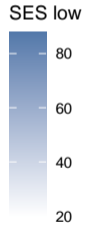
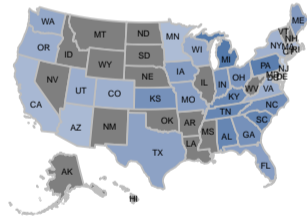
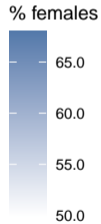
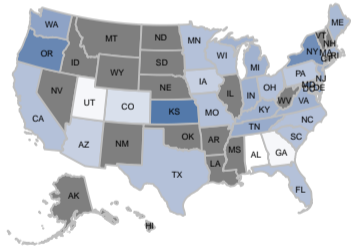


Median # of visits



Introduction: Descriptive statistics

Baseline information



Introduction: Descriptive statistics

Biomarker

Introduction: Descriptive statistics

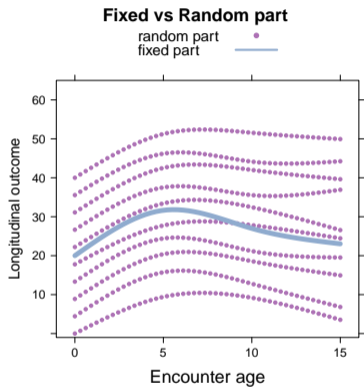
Geomarker

Introduction: Descriptive statistics

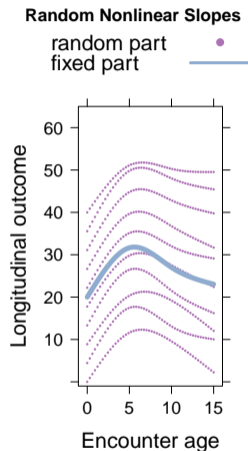
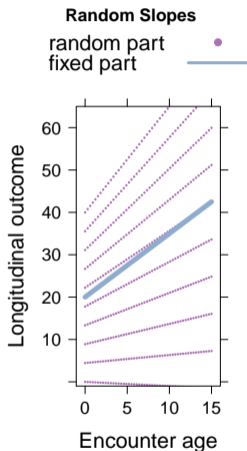
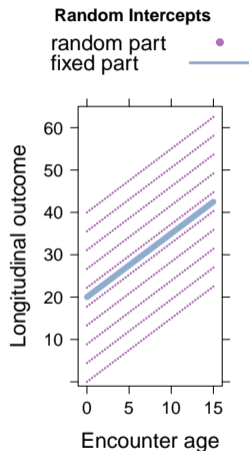
Nutritional status

Methods: Univariate Mixed Model

$$y_i(t) = \underbrace{x_i^\top(t)\beta_1}_{\text{fixed effects part}} + \underbrace{z_i(t)^\top b_i}_{\text{random effects part}} + \epsilon_i$$

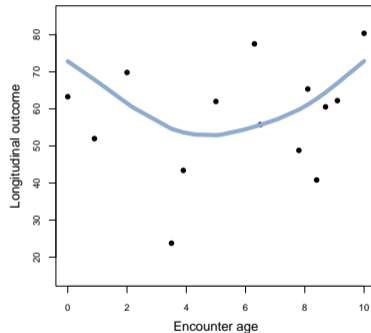


Methods: Univariate Mixed Model



Methods: Univariate Mixed Model

$$\begin{aligned}
 y_i(t) &= \underbrace{x_i^\top(t)\beta_1}_{\text{fixed effects part}} + \underbrace{z_i(t)^\top b_i}_{\text{random effects part}} + \epsilon_i \\
 &= \underbrace{\hspace{10em}}_{m_i(t)} + \epsilon_i
 \end{aligned}$$



Methods: Multivariate Mixed Models

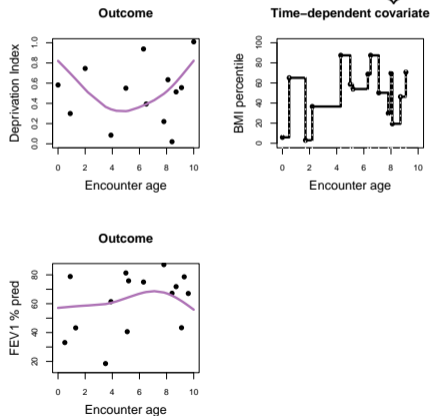
DepIndex = encounterage

FEV1%pred = encounterage + sex + SESlow +
F508del + BMIpercentile + Enzymes

Methods: Multivariate Mixed Models

DepIndex = encounterage

FEV1%pred = encounterage + sex + SESlow +
F508del + BMIpercentile + Enzymes

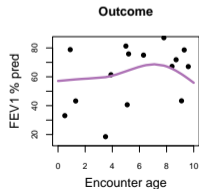
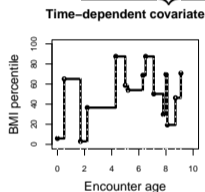
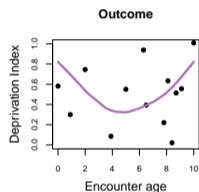


Methods: Multivariate Mixed Models

DepIndex = encounterage

FEV1%pred = encounterage + sex + SESlow +

F508del + $\underbrace{\text{BMIpercentile} + \text{Enzymes}}_{\text{Time-dependent covariate}} + \text{DepIndex}$



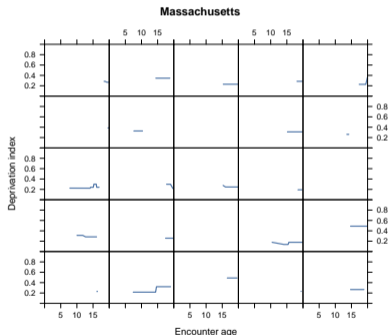
Methods: Multivariate Mixed Models

$$\text{DepIndex: } y_{2i}(t) = m_{2i}(t) + \epsilon_{2i}(t) = x_{2i}^\top(t)\beta_1 + z_{2i}^\top(t)b_{2i} + \epsilon_{2i}(t)$$

$$\text{FEV1\%pred: } y_{1i}(t) = x_{1i}^\top(t)\beta_1 + z_{1i}^\top(t)b_{1i} + \alpha_{S2} m_{2i}(t) + \epsilon_{1i}(t)$$

where

$$\diamond b_i^\top = (b_{1i}^\top, b_{2i}^\top) \sim N(0, D)$$



Methods: Multivariate Mixed Models

$$\text{DepIndex: } y_{2i}(t) = m_{2i}(t) + \epsilon_{2i}(t) = x_{2i}^\top(t)\beta_1 + z_{2i}(t)^\top b_{2i} + \epsilon_{2i}(t)$$

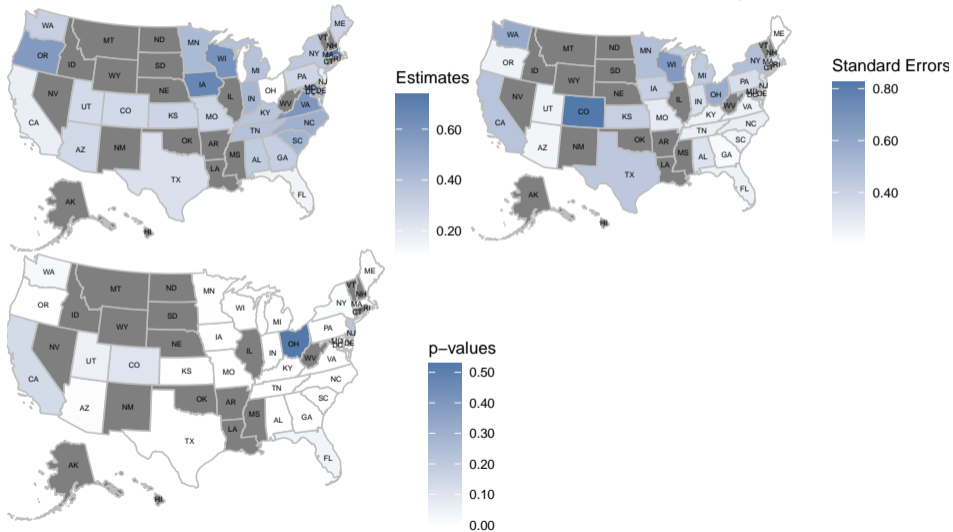
$$\text{FEV1\%pred: } y_{1i}(t) = x_{1i}^\top(t)\beta_1 + z_{1i}(t)^\top b_{1i} + \alpha_{S2} \int_0^t m_{2i}(s)ds + \epsilon_{1i}(t)$$

where

$$\diamond b_i^\top = (b_{1i}^\top, b_{2i}^\top) \sim N(0, D)$$

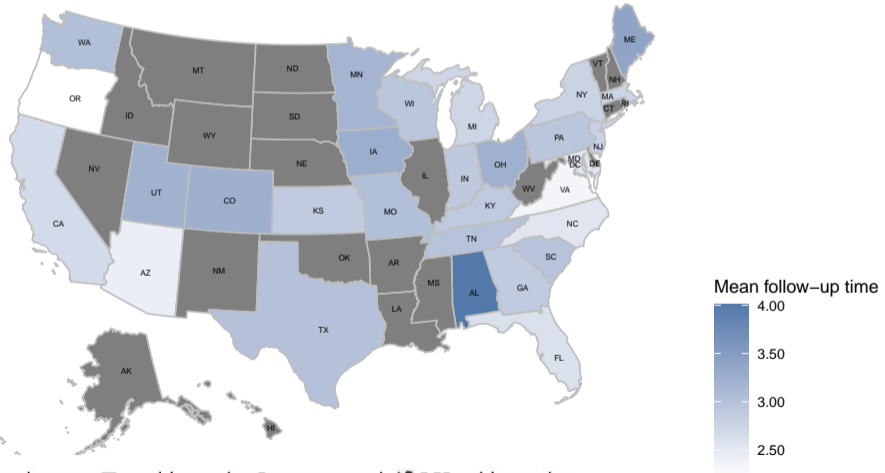
Results: Multivariate Mixed Models

Estimate: for 0.1 unit increase in the area under the curve of the deprivation index



Introduction: Descriptive statistics

Baseline information



Methods: Multivariate Mixed Models

DepIndex: $y_{2i}(t) = m_{2i}(t) + \epsilon_{2i}(t) = x_{2i}^\top(t)\beta_1 + z_{2i}(t)^\top b_{2i} + \epsilon_{2i}(t)$

FEV1%pred: $y_{1i}(t) = x_{1i}^\top(t)\beta_1 + z_{1i}(t)^\top b_{1i} + \alpha S_2 \frac{1}{t} \int_0^t m_{2i}(s) ds + \epsilon_{1i}(t)$

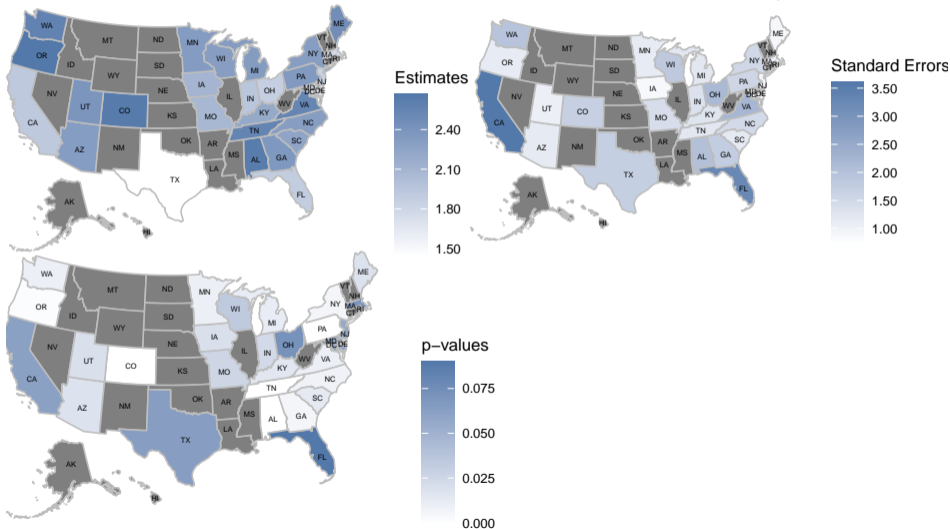
Weight

where

◇ $b_i^\top = (b_{1i}^\top, b_{2i}^\top) \sim N(0, D)$

Results: Multivariate Mixed Models

Estimate: for 0.1 unit increase in the normalized area under the curve of deprivation index



Methods: Multivariate Mixed Models

FEV1%pred = encounterage

DepIndex = encounterage + FEV1%pred

Methods: Multivariate Mixed Models

$$\text{FEV1\%pred: } y_{1i}(t) = m_{1i}(t) + \epsilon_{1i} = x_{1i}^\top(t)\beta_1 + z_{1i}(t)^\top b_{1i} + \epsilon_{1i}(t)$$

$$\text{DepIndex: } y_{2i}(t) = m_{2i}(t) + \epsilon_{2i} = x_{2i}^\top(t)\beta_1 + z_{2i}(t)^\top b_{2i} + \alpha_{S1} \frac{d}{dt} m_{1i}(t) + \epsilon_{2i}(t)$$

where

$$\diamond b_i^\top = (b_{1i}^\top, b_{2i}^\top) \sim N(0, D)$$

- A lot of data is available
- Better treatment and monitoring strategies if all information is used
- Challenge in combining different types of information
- Investigate other geospatial data

Thank you for your attention!